Sourcing Competition under Cost Uncertainty and Information Asymmetry

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Driven by increasing costs in the traditionally regarded low-cost manufacturing bases (e.g., China), many firms have started to outsource their production to the regions of even lower costs (e.g., Southeast Asia). However, a new environment may involve higher cost uncertainty and severer information asymmetry. Motivated by these observations, we consider a sourcing game where competing firms choose between a supplier with transparent certain cost (type-C supplier) and a supplier with potentially lower but less transparent, uncertain cost (type-U supplier). We characterize the equilibrium of the sourcing game and study how different parameters affect the firms’ sourcing strategy and profit performance. First, we find that due to information asymmetry, a large market size can make firms prefer the C-supplier to the U-supplier even if the latter has a lower average cost. Second, reducing the cost uncertainty or improving the signal accuracy of the U-supplier does not necessarily make it more attractive to sourcing firms, which cautions the suppliers when making efforts to mitigate cost uncertainty or improve cost estimation. Third, higher competition intensity makes the diversified sourcing strategy more likely to be adopted under certain conditions. Interestingly, increasing the cost of the C-supplier (e.g., a cost hike in China) may make both sourcing firms better off because it can lead to a new sourcing equilibrium. Finally, this study shows that the direction of quantity distortion under the optimal competitive mechanism differs from that under the traditional monopolistic setting.

Key words: strategic sourcing; information asymmetry; mechanism design; Cournot competition

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1. Introduction

The business media has recently reported that the cost advantage of traditionally regarded low-cost manufacturing bases is being eroded as a result of a combination of factors. By analyzing the world’s 25 leading exporting economies along four key dimensions—manufacturing wages, labor productivity, energy costs, and exchange rates—the Boston Consulting Group finds that China’s estimated manufacturing-cost advantage over the United States has shrunk to < 5%, and Brazil is now estimated to be more expensive than much of Western Europe (Sirkin et al. 2014). These facts have driven many companies to rethink their global supply chain strategies.

For product and component sourcing, firms have begun to target Southeast Asia as one attractive sourcing destination. According to The Economist (2015), “the average factory worker in China earns $27.50 per day, compared with $8.60 in Indonesia and $6.70 in Vietnam.” Although Southeast Asia is seemingly attractive in terms of low nominal wages, there is extensive discussion around the drawbacks there. First, many empirical evidences have suggested that the true cost of sourcing from suppliers in this region is far less clear. According to the McKinsey Global Institute, import/export costs are 24% higher in ASEAN (Association of Southeast Asian Nations) than in China, and the region’s customs procedures take 66% longer than the OECD average (Woetzel et al. 2014). The mediocrity of infrastructure (e.g., roads, power supplies)—compared with China—adds costs. Second, as new supply bases, suppliers in Southeast Asia still remain “mysterious” to global buying firms due to the lack of previous interactions. It is believed that prior relationships mitigate information frictions between buyers and suppliers (Costello 2013). Thus, lack of previous interactions will inevitably aggravate the issue of information asymmetry. As a consequence, firms sourcing from
Southeast Asia may find themselves at an informational disadvantage. Such information asymmetry may even represent an important barrier to global trade (Hortacsu et al. 2009).

These features of the suppliers’ cost structure in Southeast Asia create a challenge for firms at the crossroad in choosing a sourcing location and designing procurement contract. On the one hand, the cost advantage at well-established manufacturing bases (e.g., China) has been shrinking so that the regions such as Southeast Asia seem to have nominal cost advantage; on the other hand, there is significant cost uncertainty and a lack of transparent information for these less expensive regions. Should a firm select a supplier with transparent, certain cost (referred to as C-supplier), or a supplier with potentially lower, but uncertain cost (referred to as U-supplier who is endowed with more cost information than the buyer)? Such a question may frequently arise given contemporary global business environment. The answer to this question depends on the trade-off between cost efficiency and the potential impact of cost uncertainty and information asymmetry. Such a trade-off can be quite involved because nowadays most firms operate under a global, competitive environment. According to a PwC/Duke Offshoring Research Network survey study, competitive pressures are one of the top four drivers of global sourcing (PwC 2010). Thus, firms need to take into account their competitor’s sourcing strategy when evaluating the trade-off.

To our knowledge, the trade-off between cost efficiency and cost information uncertainty/asymmetry in a competitive setting has not been explored in the literature. The goal of this study is to obtain a better understanding of how such a trade-off drives firms’ sourcing strategies. For this purpose, we develop a game-theoretic model where two firms sell substitutable products in the same market. The firms first choose their supplier (either a C-supplier or U-supplier), then offer a contract (or a menu of contracts) to the selected supplier, and finally engage in Cournot (quantity) competition with each other. If a firm chooses a C-supplier, it knows the production cost of the supplier; if a firm chooses a U-supplier, it has a prior belief about the distribution of this supplier’s cost, whereas the supplier itself has better information about its own cost (e.g., the U-supplier knows better about the local environment as well as its own production efficiency than the sourcing firm). Depending on the firms’ sourcing strategies, we consider three possible sourcing structures, or subgames: \(cc\), with both sourcing from C-suppliers; \(uu\), with both sourcing from U-suppliers; and \(cu\) (or \(uc\)), with one firm sourcing from a C-supplier and the other sourcing from a U-supplier. This sourcing game can be solved using backward induction: First, we characterize the equilibrium of the competitive mechanism design game under each sourcing structure; then we derive the equilibrium of the sourcing game by comparing the firms’ expected profits under the three sourcing structures.

With this model setup, we show that when C-supplier’s cost is equal to the average cost of U-supplier, both firms will source from C-suppliers in equilibrium. It is well known that such a result will be reversed if there is no information asymmetry because firms prefer variable cost under Cournot competition (Vives 1999). This implies the presence of information asymmetry has a significant impact on the sourcing equilibrium. In the main analysis of firms’ sourcing strategies, we focus on the situation in which the average cost of U-supplier is lower than the cost of C-supplier, which reflects the common belief that suppliers in Southeast Asia have lower production costs on average. Under this practical situation, we analyze how market size, U-supplier’s cost uncertainty and signal accuracy, and the competition intensity influence the firms’ competitive sourcing strategies.

The main results of this study are summarized as follows. First, given the sourcing structures \(cu\) and \(uu\), we find that the firms’ profits are not monotonic in the level of cost uncertainty, measured by the gap between the two cost types. That is, reducing cost uncertainty does not necessarily benefit the firms, which suggests that they need to be cautious when investing in uncertainty reduction activities.

Having analyzed the three sourcing structures, we then characterize the equilibrium of the sourcing game. We show that market size plays an important role in determining the sourcing equilibrium: When the market size is sufficiently small (large), both firms source from U-suppliers (C-suppliers); when the market size is medium, firms adopt the diversified sourcing strategies even though they are \textit{ex ante} asymmetric. This is because when sourcing from U-suppliers, firms need to pay the information rent, which may offset the overall benefit from the U-suppliers’ nominal cost advantage, and the information rent increases with the market size. Consequently, C-suppliers become more attractive with a larger market size despite their higher average cost. In addition, both cost uncertainty and signal accuracy of the U-supplier have non-monotonic effects on the sourcing equilibrium. In other words, reducing cost uncertainty or improving cost estimation may not necessarily imply that U-suppliers will be more likely chosen by the firms. We also show that intensified competition can favor either C-suppliers or U-suppliers, depending on the current competition level. More interestingly, we find that both firms can be better off when the C-supplier’s cost increases. This implies
that, contrary to our intuition, the rising cost of Chinese suppliers may benefit all the sourcing firms.

Finally, we find that in subgames cu and uc, the firms distort downward the order quantities when facing both high-cost and low-cost U-suppliers. This result is in contrast with the standard result in the literature that “no distortion at the top but downward distortion at the bottom” for a single supply chain, highlighting the important implication of competition in the optimal contract design with asymmetric information.

The remainder of this study is organized as follows. Section 2 reviews the related literature, and section 3 sets up the model. We analyze the mechanism design subgames in sections 4 and 5. The first stage’s sourcing game is studied in section 6. Finally, we conclude in section 7. All proofs are presented in the appendices.

2. Literature Review

This paper studies a sourcing game where the firms engage in Cournot competition and the suppliers may have private cost information. There is a stream of research that studies contracting problems under asymmetric cost information in supply chain settings. The representative studies include, for example, Corbett and de Groote (2000), Corbett (2001), Ha (2001), Corbett et al. (2004), Cachon and Zhang (2006), Zhang (2010), Özer and Raz (2011), Bolandifar et al. (2018), and Hu and Qi (2018). Most of these studies focus on screening models where the uninformed player moves first by offering a menu of contracts to elicit the informed player’s private cost information. Similarly, there is a line of research that considers asymmetric information in other dimensions and problem settings. For instance, Cachon and Lariviere (2001), Özer and Wei (2006), Burnetas et al. (2007), and Oh and Özer (2013) consider asymmetric demand information. Yang et al. (2009) consider asymmetric information regarding supply disruption risk. Kostamis and Duenyas (2011) examine a situation where a downstream firm (i.e., an OEM) possesses two-dimensional private information: demand and cost. Kayis et al. (2013) examine the problem of delegation vs. control when a buyer purchases two components that are each produced by different privately informed suppliers. Li et al. (2015a) study supply contract design for competing suppliers under asymmetric demand information with a focus on the trade-off between cost advantage and information rent. Most of the above studies consider either a one-to-one or one-to-many supply chain structure. In contrast, we consider competing supply chains with asymmetric cost information. That is, we extend the supply contract design problem with information asymmetry to a competitive setting.

Our model studies a setting with competing supply chains, and hence is related to the literature on chain-to-chain competition and oligopolistic competition. Under chain-to-chain competition, some of the studies in marketing explore the effect of channel structure and product differentiation on channel performance (Choi 1996, McGuire and Staelin 1983, Moorthy 1988). The economics literature studies the managerial incentives in oligopolistic settings; see the seminal paper by Fershtman and Judd (1987). Notably, the above literature studies games with full information. Several recent papers have started to incorporate asymmetric information into models for various problem settings. In operations management, Ha and Tong (2008) investigate the contract design and information-sharing decisions in two competing supply chains. Ha et al. (2011) study the incentive of vertical information sharing when the upstream firms’ production technologies exhibit diseconomies of scale. Etro and Cella (2013) study incentive contracts for competing firms that engage in R&D activities by hiring privately informed managers. In Li et al. (2015a), a supplier may encroach and compete with a reseller. The paper characterizes the supplier’s optimal nonlinear contract when the reseller has better market size information. They find that due to the supplier’s potential subsequent encroachment and competition, the quantities sold through the reselling channel can distort upward. Our paper also studies a competitive setting. However, the problem we focus on is different: We examine how the interaction of downstream competition and asymmetric information affects firms’ contract design and supplier-selection decisions. As a result, we find some results that have not been reported in the existing literature.

Another closely related literature studies firms’ sourcing and/or outsourcing strategies under competition. Many papers have documented the benefit of outsourcing in comparison with insourcing (Cachon and Harker 2002, Gilbert et al. 2006). As opposed to these findings, Feng and Lu (2012) show that low-cost outsourcing may lead to a win-lose situation where suppliers gain while manufacturers lose. Specifically, they investigate competing manufacturers’ sourcing decisions by using a multi-unit bilateral bargaining framework. Wu and Zhang (2014) analyze a multi-stage sourcing game for competing firms that choose either responsive sourcing or efficient sourcing. Their focus is on how demand information accuracy and correlation, as well as the deterministic cost difference, affect firms’ equilibrium sourcing strategies. Our paper differs from this literature in that we are concerned with the effect of cost information uncertainty/asymmetry and cost difference on firms’
contracting and sourcing decisions; the sourcing cost from the supplier with private information is the outcome of a mechanism design problem under competition.

Finally, there is an economics literature on competitive mechanism design. For the representative papers, please refer to Peters and Severinov (1997), Epstein and Peters (1999), and McAfee (1999). This stream of literature considers a setting where multiple principals compete in selling goods to a common pool of agents by designing mechanisms. The focus is on characterizing the equilibrium mechanism choices for the principals and the equilibrium bidding strategies for the agents. Both the model setting and results from our paper are quite different: The principals are buyers instead of sellers; in addition, the principals make supplier selection decisions initially, and then offer an exclusive contract or contract menu to their own agent (i.e., supplier) by taking into account the competitor’s optimal mechanism.

3. The Model

Consider two firms selling substitutable products in the same market. The firms can be either manufacturers or retailers. For easy reference, we will call the firms manufacturers and use “she” to refer to a manufacturer. Suppose the manufacturers engage in Cournot competition, which is commonly used in the literature (see, e.g., Ha and Tong 2008, Ha et al. 2011, Wu and Zhang 2014). The market-clearing price is

\[ p_k = A - q_k - \gamma q_{k-1}, \]

where \( A \) is the market size, \( q_k \) is manufacturer \( k \)'s output quantity, and \( \gamma \in [0,1] \) measures the competition intensity.

We study a procurement setting where the manufacturers source their product (or a critical input) from exclusive suppliers. We will use “it” to refer to a supplier. In the procurement context, two of the most important decisions facing the manufacturers include supplier selection and procurement contract design. Motivated by the recent debate about the manufacturing costs in different regions, we consider two types of suppliers: the suppliers with a transparent cost \( c \) (i.e., C-suppliers) and those with a non-transparent, uncertain cost \( \hat{c} \) (i.e., U-suppliers). One possible interpretation is that the C-suppliers are from well-established manufacturing bases with greater transparency (e.g., China) while the U-suppliers are located in regions with potentially lower costs that are less known to outsiders (e.g., Southeast Asia).

We are interested in situations where each manufacturer only contracts with one supplier. Sole sourcing provides multiple well-known benefits for an organization, such as reductions in product variation, training required, and cost of quality (Dipak 2002). When buyers have special product implementation needs, it takes time to develop a supplier and effectively convey all the technical specifications so as to make sure all the guidelines are strictly followed by suppliers. Thus, in situations where developing or managing suppliers is very costly, it might not be worthwhile sourcing from multiple suppliers.

The sequence of the multi-stage sourcing game under Cournot competition is as follows: First, the manufacturers simultaneously decide which type of suppliers to source from. Denote a C-supplier by \( S_c \) and a U-supplier by \( S_u \). Based on the manufacturers’ supplier selection decisions, there are four possible sourcing structures: \((S_c, S_c), (S_c, S_u), (S_u, S_c), \) and \((S_u, S_u)\). These correspond to four subgames: cc, cu, uc, and uu. In reality, it is not uncommon that there are uncertainties associated with the suppliers’ production costs. However, the U-supplier’s capability is generally more uncertain and less known to outsiders. Therefore, we normalize the cost uncertainty of the C-supplier to zero for analytical transparency, while the manufacturers have a prior belief about the distribution of U-supplier’s cost (details will be provided later in this section).

Second, the manufacturers develop their selected suppliers’ technological capability in terms of product quality, reliability, or delivery performance. After supplier development, the U-supplier, after knowing the details of the manufacturer’s needs about the product, obtains a better understanding of its own production cost. The U-supplier’s better information compared to the manufacturer’s is modeled by a cost signal; that is, the U-supplier receives a cost signal \( s \) about its unit cost, which is assumed to be either high \((s_h)\) or low \((s_l)\). The signal is the U-supplier’s private information and is unobservable to the manufacturer. Thus, there exists information asymmetry between the manufacturer and the U-supplier.

Third, under each subgame, the manufacturers offer a procurement contract to their exclusive supplier. If a manufacturer chooses a U-supplier who holds private cost signal, then she offers a menu of contracts to screen the type of the chosen supplier. If a manufacturer chooses a C-supplier, she offers a take-it-or-leave-it contract to the supplier. Note that the contract terms in one supply chain are not observable to the competing chain. Each manufacturer forms a belief about the opponent’s strategy (instead of observing it) to obtain the best response functions, and the equilibrium contract terms for both manufacturers are derived by jointly solving the best response functions.

Lastly, the C-supplier decides whether to accept the contract offered by its buyer, and/or the U-supplier decides which contract to select from the contract menu. Then, the manufacturers’ total outputs determine the market-clearing price, and the
manufacturers collect their profits. We assume all parties are risk neutral in the sourcing game. Without losing generality, the reservation profit (i.e., the best outside option) for each party is normalized to zero.

In the following, we specify the detailed cost information structure and the updating mechanism. Prior probabilities of U-supplier’s cost: From the manufacturers’ perspective, the U-supplier’s ex ante cost \( \hat{c} \) is drawn from a two-point distribution with \( \text{Pr}(\hat{c} = c_l) = \text{Pr}(\hat{c} = c_h) = 1/2 \), where \( c_h > c_l \). In the later comparative statics analysis, we define \( c_h = \mu + \delta \) and \( c_l = \mu - \delta \), where \( \delta \) measures the ex ante cost uncertainty. This assumption is for ease of exposition; the qualitative results will remain unchanged if we extend to a multi-point distribution or a weight other than 1/2; please see Appendix C for the possible extension to multi-point distributions.

**Conditional probabilities given signal quality:** Suppose the probabilities of signals conditional on costs are

\[
\begin{align*}
\text{Pr}(s_l | c_l) &= \text{Pr}(s_h | c_l) = \alpha \quad \text{and} \\
\text{Pr}(s_l | c_h) &= \text{Pr}(s_h | c_h) = 1 - \alpha,
\end{align*}
\]

where \( \alpha \in (1/2,1] \) measures the signal quality or accuracy. When \( \alpha = 1 \), the signal reveals perfect information. When \( \alpha = 1/2 \), the signal does not convey any information and essentially there is no information asymmetry between the U-supplier and the manufacturer.

Using Bayes’ Theorem, we can calculate the posterior probabilities based on the above prior and conditional probabilities. We have

\[
\text{Pr}(c_l | s_l) = \frac{\text{Pr}(s_l | c_l)\text{Pr}(c_l)}{\text{Pr}(s_l | c_l)\text{Pr}(c_l) + \text{Pr}(s_h | c_l)\text{Pr}(c_l)} = \tilde{\alpha},
\]

and similarly, \( \text{Pr}(c_l | s_h) = \tilde{\alpha}, \) \( \text{Pr}(c_h | s_l) = 1 - \tilde{\alpha}, \) \( \text{Pr}(c_h | s_h) = 1 - \tilde{\alpha} \). We can also calculate the marginal probabilities of the signals as \( \text{Pr}(s_l) = \text{Pr}(s_h) = 1/2 \).

For convenience, we let \( \tilde{C} \equiv \tilde{C}_l \) denote the U-supplier’s cost conditional on the received signal \( s \), which we term the *conditional cost*. Since the signal may be high or low, the conditional cost \( \tilde{C} \) may take the following two values,

\[
\tilde{C}_k = c_k \text{Pr}(c_l | s_k) + c_h \text{Pr}(c_h | s_k), \quad \text{for } k = l, h.
\]  

(1)

Note that in our model, even though the U-supplier observes its private signal, it still faces cost uncertainty. Therefore, \( \tilde{C} \) essentially measures the expected cost conditional on the signal \( s \). Specifically, \( \tilde{C}_l = \alpha c_l + (1 - \alpha)c_h \) and \( \tilde{C}_h = \alpha c_h + (1 - \alpha)c_l \). Thus, we have \( \tilde{C}_h - \tilde{C}_l = (2\alpha - 1)(c_h - c_l) > 0 \), implying that a higher signal translates to a higher conditional cost. We can also show that the expected conditional cost is \( E[\tilde{C}] = (c_h + c_l)/2 = (c_h + c_l)/2 \).

**Correlation between signals:** If both manufacturers choose U-suppliers, the U-suppliers’ costs may be correlated. We model the cost correlation by explicitly specifying their joint distributions as follows:

\[
\begin{align*}
\text{Pr}(\tilde{c}_l = c_l, \tilde{c}_l = c_l) &= \text{Pr}(\tilde{c}_l = c_h, \tilde{c}_h = c_l) = \tau, \\
\text{Pr}(\tilde{c}_l = c_l, \tilde{c}_h = c_h) &= \text{Pr}(\tilde{c}_l = c_h, \tilde{c}_l = c_l) = \frac{1}{2} - \tau.
\end{align*}
\]

It follows that the correlation coefficient between \( \tilde{c}_l \) and \( \tilde{c}_h \) is \( 4\tau - 1 \), where a greater value of \( \tau \) indicates a stronger correlation. In particular, \( \tau = 1/2 \) corresponds to perfect correlation and \( \tau = 1/4 \) represents the case with independent costs. Since the U-suppliers are located in the same region, we assume \( 1/4 < \tau \leq 1/2 \), that is, from the manufacturers’ perspective, their costs are positively correlated. We also assume U-suppliers’ signals are conditionally independent given their costs, that is, \( \text{Pr}(s_l = s_k, s_l = s_h, s_l = s_k) = \text{Pr}(s_l = s_k)\text{Pr}(s_l = s_k)\text{Pr}(s_l = s_k) \) for any \( k, k', m, m' \in \{l, h\} \).

Now we can derive the joint distribution of U-suppliers’ signals as follows

\[
\text{Pr}(s_l = s_l, s_l = s_l) = \tau(2\alpha - 1)^2 + \alpha(1 - \alpha).
\]

Similarly, we obtain

\[
\begin{align*}
\text{Pr}(s_l = s_l, s_l = s_h) &= \tau(2\alpha - 1)^2 + (1 - \alpha)
\end{align*}
\]

For convenience, define \( \beta \equiv \tau(2\alpha - 1)^2 + (1 - \alpha) \). It can be readily shown that \( 1/4 < \beta \leq 1/2 \) for \( \alpha \in (1/2,1] \) and \( \tau \in (1/4,1/2] \). We can then use \( \beta \) to represent the joint probabilities of U-suppliers’ signals below:

\[
\begin{align*}
\text{Pr}(s_l = s_l, s_l = s_l) &= \text{Pr}(s_l = s_h, s_l = s_l) = \beta, \\
\text{Pr}(s_l = s_l, s_l = s_h) &= \text{Pr}(s_l = s_h, s_l = s_l) = \frac{1}{2} - \beta.
\end{align*}
\]

In the following, by backward induction, we first analyze the mechanism design subgames in sections 4 and 5, and then the first stage’s sourcing game in section 6.

### 4. Analysis for Subgame cu (uc)

We start with the case where the manufacturers use different types of suppliers. This case includes the subgames \( cu \) and \( uc \). By symmetry, we only need to focus on the subgame \( cu \). Suppose, without loss of generality, manufacturer \( i \) sources from a C-supplier, while manufacturer \( j \) sources from a U-supplier.
Manufacturer $i$ offers a contract $(q_i, T_i)$ to her chosen supplier $i$, while manufacturer $j$ offers a contract menu $(q_{jl}, T_{jl}, q_{jh}, T_{jh})$ to her supplier $j$. Supplier $j$, with its private cost signal, may select a contract from the menu. Then, the two manufacturers engage in quantity competition by selling their products to the market. The contract terms selected in one supply chain are not observable to the firms in the other supply chain. After evaluating the contract terms, the manufacturers can anticipate the needed selling quantities in the third stage of the contract terms. We have proved in Appendix D that during the selling stage, the manufacturers will sell all the products they have ordered to the market, even if they will not withhold inventory. This is because when designing the contract terms, the manufacturers can anticipate the needed selling quantities in the third stage conditional on the U-supplier’s cost type, and hence they will not order more than needed since the transfer prices to the supplier increase in order quantities. Let $\Pi_i(k = i, j)$ denote manufacturer $k$’s expected profit and $\pi_j(k = i, j)$ denote supplier $k$’s expected profit. Given manufacturer $j$’s contract menu, we first look at manufacturer $i$’s best response in choosing the optimal contract $(q_i, T_i)$. Note that manufacturer $i$ does not know supplier $j$’s actual cost signal, so in the subgame cu, manufacturer $i$ has to take exploitation over supplier $j$’s signal. Since manufacturer $i$ knows supplier $i$’s cost, she can leave supplier $i$ the reservation profit only, which is normalized to zero. In response to manufacturer $j$’s contract menu $(q_{jl}, T_{jl}, q_{jh}, T_{jh})$, manufacturer $i$’s problem is formulated as follows,

$$\max_{T_{jl}, T_{jh}} \Pi_i = \frac{1}{2} (A - q_i - \gamma q_{jl}) q_i + \frac{1}{2} (A - q_i - \gamma q_{jh}) q_i - T_i,$$  

subject to supplier $i$’s participation constraint $T_i - c q_i \geq 0$, which guarantees that supplier $i$ earns no less than its reservation profit.

Now consider manufacturer $j$’s problem. Since supplier $j$ has a private cost signal $s_j$, manufacturer $j$ offers two options on the menu, $(q_{jl}, T_{jl})$ and $(q_{jh}, T_{jh})$, to elicit supplier $j$’s private cost signal information. By the Revelation Principle (Dasgupta et al. 1979, Myerson 1979), we focus on the truth-telling mechanism in which supplier $j$ will truthfully reveal its type by choosing the corresponding contract.

Given manufacturer $i$’s contract $(q_i, T_i)$, we formulate manufacturer $j$’s mechanism design problem in the following:

$$\max_{q_{jl}, q_{jh}, T_{jl}, T_{jh}} \Pi_j = \frac{1}{2} [(A - q_i - \gamma q_{jl}) q_{jl} - T_{jl}] + \frac{1}{2} [(A - q_i - \gamma q_{jh}) q_{jh} - T_{jh}],$$  

subject to the individual rationality (IR) and the incentive compatibility (IC) constraints,

IRs: $T_{jk} - C_k q_{jk} \geq 0, \forall k = l, h$,

ICs: $T_{jk} - C_k q_{jk} \geq T_{jk'} - C_k q_{jk'}, \forall k, k' = l, h$ and $k \neq k'$,

where $C_k$ is given in Equation (1). Solving the above problems for manufacturer $i$ in Equation (2) and manufacturer $j$ in Equation (3), we obtain the equilibrium in Proposition 1.

**Proposition 1.** Consider the contract design subgame cu in which manufacturer $i$ selects a C-supplier and manufacturer $j$ selects a U-supplier who has private cost signal.

(i) There exists a unique Bayesian Nash Equilibrium (BNE) $\{(q_{iu}^*, T_{iu}^*), (q_{ju}^*, T_{ju}^*, q_{ju}^*, T_{ju}^*)\}$, where

$$q_{iu}^* = \frac{A - c}{2 + \gamma} + \frac{\gamma (C_h - c)}{4 - \gamma^2}, \quad T_{iu}^* = q_{iu}^* c q_{iu}^*,$$  

$$q_{ju}^* = \frac{A - C_l}{2 + \gamma} + \frac{\gamma (2 - \gamma) (C_h - C_l) + 2 \gamma (c - C_l)}{2(4 - \gamma^2)}, \quad T_{ju}^* = C_l q_{ju}^* + (C_h - C_l) q_{ju}^*,$$  

$$q_{ju}^* = \frac{A - C_h}{2 + \gamma} + \frac{(\gamma^2/4 - 4)(C_h - C_l) + 2 \gamma (c - C_l)}{2(4 - \gamma^2)},$$  

(ii) The manufacturers’ profits in equilibrium are $\Pi_i^u = (q_{iu}^*)^2$, and $\Pi_j^u = \frac{1}{2} (q_{ju}^*)^2 + \frac{1}{2} (q_{ju}^*)^2$. Supplier $i$’s profit is $\pi_i^u = 0$, and supplier $j$’s profit is $\pi_j^u = \frac{1}{2} (C_h - C_l) q_{ju}^*$. We obtain from Proposition 1 that manufacturer $j$’s expected order quantity is $E[q_{iu}^*] = \frac{A - C_l}{2 + \gamma} + \frac{\gamma (C_h - C_l)}{4 - \gamma^2}$. Also note that manufacturer $j$’s order quantity is $q_{ju}^* = \frac{A - c}{2 + \gamma} + \frac{\gamma (C_h - c)}{4 - \gamma^2}$. These equilibrium quantities match those in a Cournot competition model with asymmetric manufacturers whose costs are $c$ and $C_h$, respectively. This suggests that, from manufacturer $i$’s perspective, it seems as if she is competing with a manufacturer whose expected virtual sourcing cost is $C_h$. Since manufacturer $i$ does not know supplier $j$’s cost signal, she has to make an estimation on $s_j$. Anticipating that manufacturer $j$ will screen the type of supplier $j$ by paying an information rent, in
equilibrium manufacturer $i$’s estimation of $\hat{C}_j$ is supplier $j$’s high-cost type, $C_h$.

Proposition 1 also shows that supplier $i$ attains a profit equal to its reservation profit, which is zero. The high-cost type of supplier $j$ does not receive any information rent, while the low-cost type receives a positive information rent $(C_h - C_j)q_{ij}^{cu}$. In expectation, supplier $j$ makes a profit of $(C_h - C_j)q_{ij}^{cu}/2$. We observe that supplier $j$’s profit increases in $A$, implying that more information rents have to be relinquished to supplier $j$ when the market size is larger.

4.1. Impact of Information Asymmetry

In a single chain setting (i.e., without competition), it is well known that information asymmetry will cause the manufacturer to downward-distort at the bottom (order less when facing the least efficient supplier), but not to distort at the top (when facing the most efficient type), compared to the symmetric information case. How would this result change in our competitive setting? To investigate the role of information asymmetry between manufacturer $j$ and supplier $j$, we have examined an auxiliary benchmark case with symmetric information; that is, supplier $j$’s cost signal is known to manufacturer $j$ but not to the firms in the other supply chain, and supplier $j$’s actual cost is still uncertain. To save space, we relegate the detailed analysis for the benchmark to Appendix A. Note that all the notation for the benchmark has a bar (i.e., $-$) on top. Lemma A.1 in Appendix A summarizes the equilibrium results under $cu$ in the benchmark case.

By comparing Proposition 1 with Lemma A.1, we are able to derive the impact of information asymmetry on manufacturers’ competition. We begin with the comparison in terms of order quantities. For manufacturer $i$, we obtain

$$q_{ci}^{cu} - q_{ci}^{cu} = \frac{\gamma(C_h - C_i)}{4(4 - \gamma^2)} > 0. \tag{7}$$

For manufacturer $j$’s order quantities, we have

$$q_{dj}^{cu} - q_{dj}^{cu} = -\frac{\gamma^2(C_h - C_j)}{4(4 - \gamma^2)} < 0, \tag{8}$$

$$q_{dj}^{cu} - q_{dj}^{cu} = -\frac{(8 - \gamma^2)(C_h - C_j)}{4(4 - \gamma^2)} < 0.$$

The above comparisons suggest that, under competition, manufacturer $i$’s quantity is distorted upward, while manufacturer $j$’s quantities for both high-cost type and low-cost type are distorted downward. It is understandable that with information asymmetry, manufacturer $j$ should order less from the high-cost supplier in order to prevent the low-cost supplier from mimicking the high-cost supplier. In the competitive setting, manufacturer $i$’s quantity decision depends on manufacturer $j$’s expected quantity. In response to manufacturer $j$’s downward quantity distortion when facing a high-cost type, manufacturer $i$ would take advantage of such a behavior by inflating her own order quantity. This in turn drives manufacturer $j$ to distort its quantity downward even when facing a low-cost type supplier. Such a result is in contrast with the standard result “no distortion at the top (when facing a low-cost type) but downward distortion at the bottom (when facing a high-cost type)” that occurs in a single supply chain.

The impact of the information asymmetry on the two manufacturers’ profits is relatively intuitive. We can show $\Pi_i^{cu} > \Pi_i^{cu}$ and $\Pi_j^{cu} < \Pi_j^{cu}$. That is, due to information asymmetry, manufacturer $i$ has to pay information rent to supplier $j$ and hence becomes worse off. However, manufacturer $i$ benefits from the information asymmetry between manufacturer $j$ and supplier $j$.

4.2. Effect of Cost Uncertainty

Cost uncertainty plays an important role in determining equilibrium outcomes. Understanding the impact of cost uncertainty could be useful because manufacturers may need to evaluate the benefits when making investments to reduce cost uncertainty. Define

$$\delta_m^{cu} = \frac{2(2(A - \mu) - \gamma(A - c))}{(2x - 1)(\gamma^4 - 8\gamma^2 + 20)}.$$

**Proposition 2.** Under the subgame $cu$ where the U-supplier (i.e., supplier $j$) has private cost information, we have the following: (i) $\frac{\partial \Pi_i^{cu}}{\partial \delta} > 0$ for $\delta < \delta_m^{cu}$ and $\frac{\partial \Pi_j^{cu}}{\partial \delta} > 0$ for $\delta > \delta_m^{cu}$.

The above proposition shows that the manufacturer who selects a C-supplier benefits from increased cost uncertainty. As discussed earlier, with information asymmetry, manufacturer $i$’s order quantity is distorted upward, and by Equation (7), the distortion level increases in $\delta$. Thus, larger cost uncertainty leads to greater distortion, and as a result manufacturer $i$ can benefit more.
However, Proposition 2(ii) shows the non-monotonic effect of \( \delta \) on manufacturer \( j \)'s profit. This non-monotonicity result is driven by two opposite effects of increasing cost uncertainty on manufacturer \( j \)'s profitability: The result without information asymmetry suggests that a larger cost uncertainty always benefits the manufacturer who selects a U-supplier (i.e., \( \Omega_j^{\text{uu}} \) increases in \( \delta \)), and this is the positive effect of increasing cost uncertainty for manufacturer \( j \). However, the presence of information asymmetry forces manufacturer \( j \) to distort the quantities downward, and by Equation (8) the distortion is greater for larger \( \delta \). This is the negative effect of increasing \( \delta \). Aggregating the positive and negative effects, overall increasing \( \delta \) can make manufacturer \( j \) either better off or worse off, depending on the market size and the initial uncertainty level. If the market size is sufficiently large (which implies \( \delta < \delta_m^{\text{uu}} \) always holds) or the initial uncertainty is low, the negative effect of information asymmetry is large due to high information rent paid or small positive effect out of more variable costs; overall increasing \( \delta \) hurts manufacturer \( j \), that is, making an effort to reduce uncertainty is beneficial. In the rest cases, cost uncertainty reduction hurts manufacturer \( j \).

4.3. Effect of Signal Quality

In this subsection, we examine the effect of signal quality \( z \) on the equilibrium outcome. Since the signal is private information of the U-supplier, a more accurate signal implies greater information asymmetry between the U-supplier and the manufacturer who sources from it. We find that \( q_j^{\text{uu}} \) increases in \( z \) but \( q_j^{\text{uu}} \) decreases in \( z \). That is, as \( z \) increases, the manufacturer choosing a U-supplier orders more from a low-cost type but less from a high-cost type. This implies a more accurate signal in chain \( j \) allows manufacturer \( j \) to design a menu of quantities that are more tailored to the corresponding types. The effect of signal accuracy on each manufacturer’s profit is characterized below. Define \( \hat{z}_m = \frac{1}{2} + \frac{2(A-\mu) - \gamma(A-c)}{\delta(\gamma^2-8\delta^2+20)} \).

**Proposition 3.** Under the subgame \( cu \) where the U-supplier (i.e., supplier \( j \)) has private cost information, we have the following: (i) \( \frac{\partial \Pi_j^{\text{uu}}}{\partial z} > 0 \); (ii) \( \frac{\partial \Pi_j^{\text{uu}}}{\partial z} < 0 \) for \( z < \hat{z}_m \), and \( \frac{\partial \Pi_j^{\text{uu}}}{\partial z} > 0 \) for \( z > \hat{z}_m \).

Not surprisingly, a greater level of information asymmetry in chain \( j \) benefits manufacturer \( i \). However, its impact on the profit of manufacturer \( j \) is less clear. On the one hand, a greater \( z \) value implies more accurate cost information in chain \( j \), and manufacturer \( j \) can design a menu of quantities that are more tailored to the corresponding types. This is the positive effect of a larger \( z \) on manufacturer \( j \)'s profit. On the other hand, a larger \( z \) implies manufacturer \( j \) is at a more disadvantageous position compared to supplier \( j \) in term of cost information, and thus hurts manufacturer \( j \) more. This negative effect of a larger \( z \) combined with the former positive effect may lead to the non-monotonic impact of \( z \), depending on the market size \( A \) and \( z \). For sufficiently large \( A \) (which implies \( z \leq \hat{z}_m \) always holds), the negative informational disadvantage effect is amplified, and thus a larger \( z \) always decreases manufacturer \( j \)'s profit. For market size that is not too large, the overall effect of increasing \( z \) can be either way. For small \( z \) values, the information accuracy effect on chain \( j \) of a larger \( z \) is limited, and the negative information disadvantage effect on manufacturer \( j \) dominates. But for large \( z \) values, the marginal increase in informational disadvantage due to a larger \( z \) is limited compared to information accuracy improvement, and hence manufacturer \( j \) benefits from a larger \( z \).

5. Analysis for Subgame \( uu (cc) \)

We now consider the symmetric mechanism design subgames. We focus on the subgame \( uu \) in which both manufacturers purchase from U-suppliers, since the subgame \( cc \) is a special case of the subgame \( uu \). To elicit private information, each manufacturer offers a contract menu to her exclusive supplier. After receiving the manufacturer’s contract menu, each supplier determines which contract to choose from the menu. Again, we focus on the truth-telling mechanism in which the suppliers truthfully reveal their types when selecting a contract from the offered menu.

Given manufacturer \( j \)'s contract menu \((q_{jl}, T_{jl}, q_{jh}, T_{jh})\), manufacturer \( i \) maximizes her expected profit by designing a contract menu \((q_{il}, T_{il}, q_{ih}, T_{ih})\). We now formulate manufacturer \( i \)'s best response problem as follows:

\[
\max_{q_{il}, T_{il}, q_{ih}, T_{ih}} \Pi_i = \beta[(A - q_{il} - \gamma q_{ih})q_{il} - T_{il} + \frac{1}{2} - \beta][(A - q_{il} - \gamma q_{ih})q_{il} - T_{il} - \gamma q_{il}] + (A - q_{il} - \gamma q_{ih})q_{ih} - T_{ih}] 
\]

subject to the individual rationality and the incentive compatibility constraints:

IRs: \( T_{ik} - C_k q_{ik} \geq 0, \quad \forall k = l, h, \)

ICs: \( T_{ik} - C_k q_{ik} \geq T_{ik'} - C_k q_{ik'}, \quad \forall k, k' = l, h \) and \( k \neq k' \).

By symmetry, manufacturer \( j \)'s best response problem given manufacturer \( i \)'s contract menu can be...
To understand how information asymmetry affects market size, a manufacturer has to pay a positive information rent to the subgame formulated similarly. Solving the above problems for both manufacturers, we obtain the equilibrium for the subgame $uu$ in Proposition 4.

Proposition 4. Consider the contract design subgame $uu$ in which both manufacturers select U-suppliers who have private cost information.

(i) There exists a unique symmetric BNE $\{(q^u_{uu}, T^u_{uu}, q^u_{hu}, T^u_{hu})\}$, where

\[
q^u_{lu} = \frac{A - C_l}{2 + \gamma} + \frac{2\gamma(1 - 2\beta)(C_h - C_l)}{(2 + \gamma)(2 + \gamma(4\beta - 1))},
\]

\[
T^u_{lu} = Cq^u_{lu} + (C_h - C_l)q^u_{hu},
\]

\[
q^u_{hu} = \frac{A - C_h}{2 + \gamma} - \frac{C_h - C_l}{2 + \gamma(4\beta - 1)},
\]

\[
T^u_{hu} = Cq^u_{hu}.
\]

(ii) Each manufacturer’s profit in equilibrium is $\Pi^uu = \frac{1}{2}(q^uu_{lu})^2 + \frac{1}{2}(q^uu_{hu})^2$. Each supplier’s profit is $\pi^uu = \frac{1}{2}(C_h - C_l)q^uu_{hu}$.

Due to information asymmetry, each manufacturer has to pay a positive information rent to the low-cost type supplier, while the high-cost supplier’s profit is 0. We also observe that the information rent paid to the low-cost type increases in the market size $A$.

In the corollary below, we present the result for the subgame $cc$, which is a special case of the subgame $uu$. The corollary follows from Proposition 4.

Corollary 1. When $c_l = c_h = c$, the subgame $uu$ reduces to the subgame $cc$ in which both manufacturers select C-suppliers. In this case, there is a unique symmetric Nash equilibrium $\{(q^{cc}, T^{cc})\}$ where

\[
q^{cc} = \frac{A - c}{2 + \gamma}, \quad T^{cc} = cq^{cc}.
\]

Each manufacturer’s profit in equilibrium is $\Pi^{cc} = (q^{cc})^2$. Each supplier’s profit is 0.

5.1. Impact of Information Asymmetry
To understand how information asymmetry affects the manufacturer competition, again we have analyzed the benchmark case where there is no information asymmetry between the suppliers and manufacturers; that is, each supplier’s cost signal is known to its manufacturer but not the other manufacturer. This benchmark case boils down to the quantity competition model with cost uncertainty where each manufacturer does not know the competitor’s cost. We relegate the detailed analysis to Appendix A, and summarize the equilibrium for this case in Lemma A.2.

We now compare Proposition 4 with Lemma A.2 to examine the impact of information asymmetry in the subgame $uu$. Regarding the equilibrium quantities we obtain

\[
q^uu_{lu} - \bar{q}^uu_{lu} = \frac{\gamma(1 - 2\beta)(C_h - C_l)}{(2 + \gamma)(2 + \gamma(4\beta - 1))} \geq 0,
\]

\[
q^uu_{hu} - \bar{q}^uu_{hu} = -\frac{2\gamma(\beta + 1)(C_h - C_l)}{(2 + \gamma)(2 + \gamma(4\beta - 1))} < 0.
\]

The above comparison reveals an interesting insight: There is an upward distortion for the low-cost type and a downward distortion for the high-cost type, which is in contrast with the screening mechanism in the single supply chain setting as well as the asymmetric competition setting in section 4. Competition leads each manufacturer to place a larger order from the low-cost type but a smaller order from the high-cost type. The intuition is as follows: With information asymmetry, each manufacturer should order less from the high-cost supplier in order to prevent the low-cost supplier from mimicking the high-cost supplier. Under competition, each manufacturer’s quantity decision depends on the expected quantity of the competitor. Due to the competitor’s downward distortion of quantity when facing the high-cost type, the manufacturer’s competitive advantage when facing the low-cost type supplier is exaggerated, which is reflected in the contract in which she inflates the order quantity from the low-cost type supplier.

In the following, we will explore how the equilibrium outcomes are affected by other key problem parameters. For concision, we omit the detailed results that are similar to those in section 4. To avoid triviality, we assume the market size is large enough so that both order quantities are positive in equilibrium. Specifically, we assume $A > \mu + (2\gamma - 1)(4\beta + \gamma + 6)\delta/(2 - \gamma + 4\beta\delta)$, or equivalently, $\delta < (2 - \gamma + 4\beta\delta)/(2\gamma - 1)(4\beta + \gamma + 6))$.

5.2. Effects of Cost Uncertainty and Signal Quality
Under the subgame $uu$, each manufacturer sources from a U-supplier. Similarly, we analyze the effects of cost uncertainty $\delta$ and signal accuracy $x$ on each manufacturer’s profit. The effects of $\delta$ and $x$ on each manufacturer’s profit under the subgame $uu$ share the same pattern as their effects on the profit of manufacturer $j$ (the manufacturer who sources from a U-supplier) under the subgame $cu$. That is, when the market...
size \( A \) is sufficiently large, each manufacturer’s profit decreases in \( \delta \) and \( z \). Otherwise, as \( \delta \) or \( z \) increases, each manufacturer’s profit first decreases and then increases (please refer to Appendix B for the detailed analytical results). The underlying driving forces are the same as discussed in sections 4.2 and 4.3, and hence are omitted.

6. Sourcing Game

Having analyzed the four subgames in the previous sections, we are ready to examine the sourcing game at the first stage. The sourcing game can be represented using the matrix in Figure 1. To avoid triviality, we assume the market size is large enough so that the order quantities for all the subgames are positive. Specifically we assume

\[
A > \max \left[ c, \frac{2c - \gamma (\mu + (2x - 1)\delta)}{2 - \gamma}, \frac{2\mu + (2x - 1)(6 - \gamma^2)\delta - \gamma c}{2 - \gamma}, \frac{\mu + (2x - 1)(4\gamma \beta + \gamma + 6)}{2 - \gamma + 4\gamma \beta} \right].
\]

To derive the equilibrium of the sourcing game, we need to compare the profits of the four subgames. Because the manufacturers are ex ante symmetric, we have \( \Pi_1^{uc} = \Pi_2^{uc} \) and \( \Pi_1^{cu} = \Pi_2^{cu} \) in Figure 1. Then we need to compare two pairs of profits: \( \Pi^{uc} \) vs. \( \Pi_2^{cu} \), and \( \Pi_1^{cu} \) vs. \( \Pi_1^{uu} \). Define:

\[
\Delta_1 = \Pi^{uc} - \Pi_2^{cu} \quad \text{and} \quad \Delta_2 = \Pi_1^{cu} - \Pi_1^{uu}.
\]

The signs of these differences indicate a manufacturer’s preferred supplier given the competitor’s sourcing strategy. For example, if \( \Delta_1 > 0 \) (\( \Delta_2 > 0 \)), then given one manufacturer has selected a C-supplier (U-supplier), the other manufacturer will be better off choosing a C-supplier. We begin by establishing the definite relationship between \( \Delta_1 \) and \( \Delta_2 \) as shown in the following lemma.

LEMMA 1. \( \Delta_2 > \Delta_1 \) for \( \tau \in (1/4, 1/2] \).

\( \Delta_2 > \Delta_1 \) implies that a manufacturer has greater incentives to select a C-supplier given the other manufacturer has chosen a U-supplier. Alternatively, a manufacturer has greater incentives to choose a U-supplier if her competitor has chosen a C-supplier. Next, we characterize the sourcing equilibrium for the manufacturers. We start with the special cases in which the cost difference between C-supplier and U-supplier is significant (i.e., either \( c \geq C_0 \) or \( c \leq \mu \)).

PROPOSITION 5. If \( c \geq C_0 \), the unique Nash equilibrium is \((S_u, S_u)\). If \( c \leq \mu \), the unique Nash equilibrium is \((S_c, S_c)\).

Proposition 5 shows that if the high conditional cost of U-supplier is even smaller than the constant cost of C-supplier, U-supplier is more attractive in spite of its cost uncertainty, and both manufacturers choose U-suppliers. On the other hand, if a U-supplier does not have average cost advantage, that is, its average cost is greater than the cost of a C-supplier \((c \leq \mu)\), then selecting a C-supplier is the dominant strategy, and hence the unique equilibrium is \((S_c, S_c)\).

In the following analysis, we focus on the case where \( \mu < c < C_0 \). Such a parameter setting is also consistent with the common belief that suppliers at well-established manufacturing bases (e.g., China) have higher average cost than the Southeast Asian suppliers (i.e., \( \mu < c \)). Moreover, due to less-developed infrastructure, volatile economic environment and so on, the sourcing cost from Southeast Asia conditional on a high-cost signal can be higher than that of China (i.e., \( c < C_0 \)). We define two thresholds of \( A \), \( A_1 \) and \( A_2 \), such that \( A_1|A=A_1=0, A_2|A=A_2=0 \), and \( A_1 > 0 (A_2 > 0) \) if and only if \( A > A_1 (A > A_2) \). It has been shown that \( A_1 > A_2 \). We characterize the sourcing equilibrium in Proposition 6.

PROPOSITION 6. Suppose \( \mu < c < C_0 \). Then the equilibria of the sourcing game with cost information asymmetry are given as follows.4

(i) If \( A < A_2 \), then \((S_u, S_u)\) is the unique Nash equilibrium;
(ii) If \( A = A_2 \), then both \((S_u, S_u)\) and \((S_c, S_u)\) are Nash equilibria;
(iii) If \( A_2 < A < A_1 \), then \((S_c, S_u)\) is the unique Nash equilibrium;
(iv) If \( A = A_1 \), then both \((S_c, S_u)\) and \((S_c, S_c)\) are Nash equilibria;
(v) If \( A > A_1 \), then \((S_c, S_c)\) is the unique Nash equilibrium.
Proposition 6 tells that, as the market size increases, the sourcing equilibrium shifts from \((S_u, S_u)\) to \((S_c, S_u)\) and further to \((S_c, S_c)\). That is, when the market size is sufficiently large, both manufacturers should use C-suppliers. This is in contrast to the intuition that as the market size becomes larger, the manufacturers should care more about the average production cost, and hence should more likely choose U-suppliers due to their lower average cost. The intuition of this result is as follows: When sourcing from U-suppliers, manufacturers need to pay information rent to the suppliers, and the information rent increases with the market size. As a result, with a larger market size, U-suppliers become less attractive while C-suppliers become more attractive, and thus the sourcing equilibrium moves from \((S_u, S_u)\) to \((S_c, S_c)\). This indicates that in an economic recession with shrinking market, manufacturers are more likely to source from U-suppliers (e.g., suppliers in Southeast Asia).

6.1. Impact of Information Asymmetry

In this section, we examine the impact of information asymmetry on sourcing equilibrium. It is noted that there is still cost uncertainty in the symmetric information case. That is, although U-supplier’s signal is known to the manufacturer sourcing from it, U-supplier’s cost is still uncertain to both itself and the manufacturers. If there is no information asymmetry, we have shown in Proposition A.1 in Appendix A that the unique equilibrium is \((S_u, S_u)\) for \(\mu \leq c\). The fact that U-suppliers are chosen even for \(\mu = c\) means that in the absence of information asymmetry, cost uncertainty makes U-suppliers more attractive, because the manufacturers benefit from the flexibility that they can offer the contract based on the supplier’s cost realization. Not surprisingly, U-supplier is more attractive and preferred if it further has a cost advantage (i.e., \(\mu < c\)).

However, in the presence of information asymmetry, the unique equilibrium is \((S_c, S_c)\) for \(\mu = c\) (Proposition 5). Since if choosing a U-supplier, the manufacturers have to pay information rent to the supplier, the manufacturers’ sourcing decisions involve a trade-off between the upside of cost uncertainty and the downside of information asymmetry. Our results suggest that the downside of information asymmetry for U-suppliers dominates the upside of their pure cost uncertainty.

For \(\mu < c < C_0\), U-suppliers have (average) cost advantage as opposed to C-suppliers. In this case, the manufacturers’ sourcing decisions depend on a more complicated trade-off between the cost advantage (as well as the upside of cost uncertainty) and the downside of information asymmetry. In contrast with Proposition A.1, Proposition 6 shows that, with information asymmetry, C-suppliers can be selected for sufficiently large market size \((A > A_2)\). We know that more information rent has to be paid to U-suppliers when the market size increases. As a consequence, selecting a U-supplier becomes unattractive to the manufacturers when the market size is large enough. This suggests that the downside of information rent can offset the overall benefit from the U-suppliers’ nominal cost advantage and cost uncertainty. These results highlight the importance of considering information asymmetry for the manufacturers when designing their sourcing strategies.

Next, we investigate how different problem parameters affect the outcome of the sourcing game under information asymmetry by investigating the sensitivity of \(A_1\) and \(A_2\) to those parameters. By Proposition 6, increasing (decreasing) \(A_1\) and/or \(A_2\) implies that U-suppliers (C-suppliers) will more likely be chosen in the equilibrium.

6.2. Effect of Cost Uncertainty

First, we consider the effect of cost uncertainty and present the result in the following proposition.

**Proposition 7.** Suppose \(\mu < c < C_0\). Then there exist two thresholds \(\delta_1, \delta_2 \in ((c - \mu)/(2a - 1), (2c - \mu)/(2a - 1))\) with \(\delta_1 \leq \delta_2\), such that:

(i) Both \(A_1\) and \(A_2\) decrease in \(\delta\) for \(\delta \leq \delta_1\);

(ii) \(A_1\) increases but \(A_2\) decreases in \(\delta\) for \(\delta \in [\delta_1, \delta_2]\);

(iii) Both \(A_1\) and \(A_2\) increase in \(\delta\) for \(\delta \geq \delta_2\).

Proposition 7 shows that increasing cost uncertainty of the U-supplier may influence the results in multiple directions. When the cost uncertainty is small (\(\delta \leq \delta_1\)), U-suppliers become more attractive for even smaller uncertainty. When the cost uncertainty is intermediate (\(\delta_1 \leq \delta \leq \delta_2\)), increasing uncertainty leads the manufacturers to more likely use the diversified strategy in equilibrium. When the cost uncertainty is already large (\(\delta \geq \delta_2\)), increasing uncertainty drives up the values of \(A_1\) and \(A_2\), and hence U-suppliers become more attractive for even larger uncertainty. Why does increasing cost uncertainty make U-suppliers more attractive when the initial uncertainty is large? This is because by Proposition 2 and Proposition B.1 (in Appendix B), if the current uncertainty is large, under both \(cU\) and \(uv\) the manufacturer who selects a U-supplier will benefit from increased cost uncertainty due to the dominance of the positive effect of more variable cost over the negative effect of greater distortion driven by information asymmetry.

In contrast, when the current uncertainty is small, increasing cost uncertainty hurts the manufacturer who chooses a U-supplier and benefits the manufacturer who chooses a C-supplier (Propositions 2 and...
B.1). Therefore, as cost uncertainty increases, under $cu$ the manufacturer who selects a U-supplier tends to change to a C-supplier, and under $uu$ one of the manufacturers may break the equilibrium by deviating to a C-supplier.

When the uncertainty is in the intermediate range, reducing the uncertainty farther will make the symmetric sourcing equilibrium more likely happen. This is because as $\delta$ increases, the intermediate values of $\delta$ are sufficiently large to make U-suppliers more likely chosen if the starting structure is $(S_u, S_u)$, but if the starting structure is $(S_u, S_u)$ the $\delta$ values are not large enough and hence C-suppliers become more likely selected.

Cost uncertainty captured by $\delta$ measures the extent to which U-supplier’s cost is estimated to deviate from the average cost. This is mainly from the information standpoint. Reducing cost uncertainty represents an effort to obtain a better cost estimate but not necessarily to reduce the average cost. For example, the firms could consult industry experts or conduct more research about the business environment and manufacturing process of the suppliers. Recent advances in technologies such as big data may help the firms to collect a large amount of data necessary for obtaining a better cost estimate. Government could also play an important role in terms of revealing more information to the outside so that the outsiders can better estimate potential costs. For example, one of the goals of The ASEAN Good Regulatory Practice Core Principles adopted at the 50th ASEAN Economic Ministers’ Meeting is to ensure that “access to accurate, easy-to-understand, and accessible information on the regulations should be made available for relevant stakeholders.”

The uncertainties in Southeast Asian suppliers might be gradually reduced considering the governments’ effort in these countries. Our study implies that over the period with large cost uncertainty, decreasing the uncertainty actually makes U-suppliers less likely chosen by the manufacturers in equilibrium. Only when the cost uncertainty is already not too large can reducing the uncertainty further lead the U-suppliers to be more likely chosen.

6.3. Effect of Signal Quality

The effect of signal quality on the sourcing equilibrium is summarized below. Define $N = 20 - 4\gamma - 8\gamma^2 + \gamma^4$ and $M = 20 - 8\gamma^2 + \gamma^4$.

**Proposition 8.** Suppose $\mu < c < C_b$ and $\tau = 1/4$. Then there exist two thresholds $\bar{z}$ and $\tilde{z}$ ($\bar{z} < \tilde{z}$) such that:

(i) If $(c - \mu)/\delta < N - \sqrt{N^2 - 4(1 - \gamma)N}/4(1 - \gamma)$, then both $A_1$ and $A_2$ decrease in $\alpha$ for $\alpha < \bar{z}$, and $A_2$ decreases in $\alpha$ for $\alpha > \tilde{z}$, and both $A_1$ and $A_2$ increase in $\alpha$ for $\alpha > \tilde{z}$;

(ii) If $(c - \mu)/\delta \in \left(\frac{-\sqrt{N^2 - 4(1 - \gamma)N}}{4(1 - \gamma)}, \frac{M - \sqrt{M^2 - 4M}}{4}\right)$, then both $A_1$ and $A_2$ decrease in $\alpha$ for $\alpha < \bar{z}$, and $A_1$ increases but $A_2$ decreases in $\alpha$ for $\alpha > \tilde{z}$;

(iii) If $(c - \mu)/\delta > \frac{M - \sqrt{M^2 - 4M}}{4}$, then both $A_1$ and $A_2$ decrease in $\alpha$.

As a note, the sensitivity result about $A_1$ does not require $\tau = 1/4$ (i.e., independent costs for U-suppliers). Although the result about $A_2$ is derived for the case of $\tau = 1/4$, we have verified by conducting extensive numerical experiments that the above results also hold for general cases.

The proposition implies increasing signal accuracy can make U-suppliers more likely chosen and C-suppliers less likely chosen (i.e., $A_1$, $A_2$ increases) only when both signal accuracy $\alpha$ and cost uncertainty $\delta$ are above a certain level. This is because a more accurate signal for the supplier makes the manufacturer at a severer cost disadvantage, but on the other hand allows the manufacturer to design a more targeted contract menu. For larger cost uncertainty, the marginal benefit from a more targeted contract menu is larger. For already high signal accuracy, the marginal detrimental effect of asymmetric information is limited, and hence can be dominated by the large benefit from a more targeted contract menu when cost uncertainty is high.

6.4. Effect of Competition Intensity

To study the effect of competition intensity on the manufacturers’ sourcing strategies, we examine how $A_1$ and $A_2$ change in the value of $\gamma$.

**Proposition 9.** Suppose $\mu < c < C_b$.

(i) If $\delta/(c - \mu) > 1/(1 - \sqrt{2}/(2\alpha - 1))$, $A_1$ increases in $\gamma$; otherwise, $A_1$ first increases and then decreases in $\gamma$.

(ii) If $\tau \geq \frac{1}{8(2\alpha - 1)}$ or $\delta/(c - \mu) > 1/(2\alpha - 1) (1 - 2\sqrt{1 - 2(4\alpha - 1)(2\alpha - 1)^2})$, $A_2$ decreases in $\gamma$; otherwise, $A_2$ first increases and then decreases in $\gamma$.

Proposition 9 shows that when the cost uncertainty $\delta$ (equivalently, $\delta/(c - \mu)$) is sufficiently large, intensified competition drives the manufacturers to diversify their sourcing strategy (i.e., $A_1$ increases or $A_2$ decreases). This is because for sufficiently large cost uncertainty, the impact of more intense competition on the manufacturers’ profits under $(S_c, S_c)$ is not as strong as that under $(S_u, S_u)$ and $(S_u, S_u)$. 

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However, for not sufficiently large cost uncertainty, the impact of intensified competition on the sourcing equilibrium can be non-monotone, depending on the cost correlation of U-suppliers, $\tau$, and the current competition intensity. For not very large $\delta$, the profit of the manufacturer sourcing from U-supplier under $cu$ decreases in $\gamma$ more significantly than the manufacturers under $(S_c, S_u)$ when $\gamma$ is large, driving $(S_c, S_u)$ to be more likely the equilibrium for large $\gamma$.

When the correlation of U-suppliers’ cost $\tau$ and cost uncertainty $\delta$ are small, for the range of moderate competition intensity, increasing competition intensity has weaker negative impact on the manufacturers’ profits under $uu$ and hence $(S_u, S_u)$ is more likely the equilibrium. However, for the range of high competition intensity, the negative impact of intensified competition is stronger under the symmetric structure $uu$, and hence $(S_u, S_u)$ tends to be the equilibrium instead of $(S_u, S_u)$.

### 6.5. Effect of Increasing Cost of C-Suppliers

Not surprisingly, the increasing cost of C-suppliers will drive more manufacturers to source from U-suppliers (both $A_1$ and $A_2$ increase in $c$). This reflects the reality that due to fast-rising wages in China, many manufacturers choose to source from suppliers in Southeast Asia. How will this change affect the manufacturers’ profitability? Next we shed some light on this question. For analytical tractability, in the following we consider the case of $\gamma = 1$. Define

$$
\kappa = \sqrt{(A - c)^2 - 9(2x - 1)^2\delta^2 - (A + c - 2\mu - 2(2x - 1)\delta)},
$$

$$
\kappa_i = \min \left\{ \frac{\mu + (2x - 1)\delta - c}{2}, \frac{A + \mu + (2x - 1)\delta - 2c}{2}, \frac{(A - \mu - (2x - 1)\delta)^2 + 9(2x - 1)^2\delta^2}{4(1 + 4\beta)^2} \right\}.
$$

**Proposition 10.** Suppose $\mu < c < C_0$ and $A > A_1$. Then an increase of $c$ by $\kappa > 0$, where $\kappa < \kappa < \kappa$, shifts the sourcing equilibrium from $(S_c, S_c)$ to $(S_u, S_u)$ and makes both manufacturers better off.

To see an example, consider $A = 35$, $\mu = 10$, $\delta = 5$, $c = 12$, $x = 1$, $\tau = 0.4$, and thus $\beta = 0.4$. Under these parameters, we obtain $A_1 = 33.75$, so $A > A_1$ and $(S_c, S_c)$ is the equilibrium, under which both manufacturers’ profits are 58.78. Now suppose $c$ increases by 10%, or 1.2. Then it can be shown that the sourcing equilibrium becomes $(S_u, S_u)$, under which the manufacturer that remains sourcing from $S_c$ earns a profit of 61.88, and the manufacturer that sources to sourcing from $S_u$ earns 61.80, both $> 58.78$. In fact, the results in Proposition 10 carry over to more general cases where $\gamma < 1$. For example, for $\gamma = 0.95$ and all the rest of the parameter values the same as above, we obtain $A_1 = 33.89$, so $(S_c, S_c)$ is still the equilibrium and each manufacturer makes a profit of 60.79. After the 10% increase in $c$, we can show that $A = 35$ is between the two new thresholds of $A$, so the equilibrium becomes $(S_u, S_u)$. Meanwhile, the manufacturer who still chooses a C-supplier makes a profit of 61.10 and the one who chooses a U-supplier makes a profit of 63.78. Again, both manufacturers are better off.

The above result comes from the fact that an appropriate increase in $c$ moves the equilibrium from $(S_c, S_c)$ to $(S_u, S_u)$. With an increase in $c$, C-suppliers become less attractive, and the manufacturer who switches to a U-supplier enjoys more average cost advantage. This benefits the switching manufacturer but hurts the non-switching one. However, the switching manufacturer also needs to pay information rent to the chosen U-supplier, which hurts the switching manufacturer but benefits the non-switching one. The overall effects on the two manufacturers’ profits depend on which of the two counterclockwise forces dominates. The condition $\kappa > \kappa$ is to guarantee that the cost increase is sufficiently large so that $(S_c, S_c)$ is no longer the equilibrium. The condition $\kappa < \kappa$ is to guarantee that the cost increase is not too large so that only one manufacturer switches from $S_c$ to $S_u$. Meanwhile, $\kappa > \kappa$ ensures that the manufacturer that switches to $S_u$ is better off and $\kappa < \kappa$ ensures that the manufacturer that remains to source from $S_c$ is also better off.

It is shown that $\kappa < \kappa$ in Proposition 10 does not hold if $c < \mu$. This means in order for both manufacturers to be better off due to one manufacturer switching to $S_u$, the average cost of U-suppliers has to be lower than the constant cost of C-suppliers. This condition matches the situation that Chinese suppliers are generally believed to have higher costs than Southeast Asian suppliers. It is also worth noting that the result in Proposition 10 does not occur under symmetric information. Proposition A.1 shows that, in our focal case where $\mu < c$, $(S_u, S_u)$ is the Nash equilibrium. Since an increase in $c$ can only make C-suppliers less attractive and U-suppliers more attractive, neither manufacturer will switch and thus $(S_u, S_u)$ remains the Nash equilibrium. Finally, it is obvious that the above result does not occur when there is no competition between the manufacturers. Overall, the above discussion highlights the joint impact of cost difference, asymmetric information, and competition on the manufacturers’ sourcing strategies and profits.

### 7. Conclusion

The wages of Chinese workers have seen a significant increase over the past years, and many firms have
started to source from Southeast Asian countries. However, an important caveat is that firms may have less knowledge about these suppliers’ cost structures, especially when trading with them for the first time; the informational disadvantage and increased uncertainty may undermine the benefit from lower costs. This study examines the trade-off between cost advantage and cost information asymmetry/uncertainty in a sourcing game where competing firms choose between a C-supplier with transparent, certain cost (e.g., Chinese supplier) and a U-supplier with non-transparent, uncertain cost (e.g., Southeast Asian supplier). Our focus is on understanding the nuances and subtleties of firms’ sourcing strategies considering both information uncertainty and asymmetry.

We characterize the equilibrium outcome for the firms and conduct an extensive sensitivity analysis to examine how the equilibrium outcome is affected by various parameters, including the market size, cost uncertainty, accuracy of the U-supplier’s private signal, and competition intensity. We show that, as the market size increases, firms are more likely to choose C-suppliers despite their higher average cost. Reducing cost uncertainty of the U-suppliers neither implies that the firms will choose them more often, nor does it bring more profits to the firms. This cautions that sourcing firms need to be careful when conducting any cost uncertainty reduction activities. The U-suppliers’ more accurate private information about their own costs can benefit them in terms of the chance of being selected only when both information accuracy and cost uncertainty are above a certain level. Our results also show that if the cost uncertainty is sufficiently large, increasing competition intensity drives firms to diversify their sourcing strategy; otherwise, it can favor either C-suppliers or U-suppliers in terms of the chance of being selected. Furthermore, an increase in the C-supplier’s cost may lead to a win-win situation for both firms. The above insights provide useful guidance for supply chain professionals when making their sourcing decisions.

On the theoretical side, we also identify an interesting ordering behavior in such a competitive setting with information asymmetry. Under the sourcing structure clu, we find that the firms’ quantity distortion compared to the symmetric information setting presents contrasting patterns with the standard result “no distortion at the top but downward distortion at the bottom” that occurs in a single firm’s optimal mechanism.

This research opens several avenues for future research. First, it has been considered that the firms engage in quantity competition in this study. It would be interesting to study how results will change if one considers price competition. Second, in this study, the firms offer a take-it-or-leave-it contract to C-suppliers and a menu of contracts to U-suppliers. Instead, considering a Nash bargaining framework, especially with information asymmetry, will be a promising research direction. Third, when sourcing from suppliers in a new region, there are many factors (e.g., quality, delivery performance, social responsibility) for firms to consider besides cost. How those factors may affect firms’ sourcing decisions also deserves more research attention.

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**Notes**

1. The empirical study carried out by Costello (2013) measures information asymmetry by using the number of previous interactions between buyers and suppliers.
2. Both the manufacturer and the U-supplier may update their belief about the supplier’s cost during the development phase. However, the information improvement at the U-supplier side could be much more significant and U-supplier would still have better knowledge about the local environment, the costs of raw materials, its own production efficiency, and so on. Thus, information asymmetry in this context captures the U-supplier’s superior cost information.
3. The comparative statics results about δ and α in sections 4 and 5 are derived given a sourcing structure. We have checked numerically that such results also exist when imposing the equilibrium conditions for a specific sourcing structure in Proposition 6.
4. A necessary condition for equilibrium (Su, Sd) is A ≤ A2. However, the non-negative constraint requires A to be greater than a threshold, say A. Therefore, (Su, Sd) is an equilibrium only when A2 is sufficiently large; otherwise (Su, Sd) cannot be an equilibrium. Similarly, (Sd, Su) cannot be an equilibrium if A2 ≤ A.

**References**


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Supporting Information

Additional supporting information may be found online in the Supporting Information section at the end of the article.

Appendix A: Symmetric Information Benchmark.

Appendix B: Detailed Results under Subgame nn.

Appendix C: Extension to Multi-Point Distributions.

Appendix D: Proofs of Main Results.

Appendix E: Proofs of Results in Appendices A and B.